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300 / Frequency (MHz) = Wavelength (M)
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## Frequency \& Wavelength

Turns ratio $=\frac{N_{p}}{N_{S}} \quad \begin{aligned} & N_{p}=\text { Primary turns } \\ & N_{S}=\text { Secondary turns }\end{aligned} \quad \begin{aligned} & \text { Voltage will vary by the turns ratio. } \\ & \text { Current will vary by the inverse. }\end{aligned}$

Series Resistance $=$ R1 + R2 + R3 ...
Inductance is calculated like Resistance
$\underset{\text { Resistance }}{\text { Parallel }}=\frac{R_{1} \times R_{2}}{R_{1}+R_{2}}$ Capacitance is calculated in reverse

## Other Important Formulas

## Series \& Parallel (Resistance)



- $\mathrm{R}_{\mathrm{T}}=\mathrm{R}_{1}+\mathrm{R}_{2}+\mathrm{R}_{3}$
- $I=E / R T \quad->$ Current is the same, wherever you measure it.
- E at $\mathrm{R} x=\mathrm{I}_{\mathrm{T}} * \mathrm{R} x \rightarrow$ Voltage drop is different at each resistor.
$->$ Total voltage drop is the sum of E1 + E2 + E3


$$
R_{T}=\frac{1}{\frac{1}{R_{1}}+\frac{1}{R_{2}}+\frac{1}{R_{3}}}
$$

- $I x=E / R x \rightarrow C$ Current is different at each resistor.
- $E_{x}=E_{T} \quad->$ Voltage drop is the same, wherever you measure it.

Frequency and period
$\mathrm{F}=1 / \mathrm{T}$ and $\mathrm{T}=1 / \mathrm{F}$ where ' T ' = 1 cycle

## Series \& Parallel Resistance (non-math)

If $x$ equal value resistors are in parallel, the total $R$ is
the value of one resistor over the number of resistors, or $R / X$.
The total resistance in a parallel circuit is always less than that of the smallest resistor.

The total resistance of two equal value resistors is half the value of either resistor.

## Unit Conversions

| Name | Symbol | Multiplier | Exponent |
| :--- | :--- | :--- | :--- |
| Giga | G | X 1000000000 | $10^{9}$ |
| Mega | M | X 1000000 | $10^{6}$ |
| Kilo | K | X 1000 | $10^{3}$ |
|  |  | UNIT |  |
| milli | m | $/ 1000$ | $10^{-3}$ |
| micro | $\mu$ | $/ 1000000$ | $10^{-6}$ |
| nano | n | $/ 1000000000$ | $10^{-9}$ |
| pico | p | $/ 1000000000000$ | $10^{-12}$ |

## Reactance

## Capacitive and Inductive Reactance

- Capacitance (C) refers to the physical properties of a capacitor.
- Inductance $(L)$ refers to the physical properties of an inductor.
- Reactance $(X)$, measured in ohms, is the opposition to AC current by a capacitor or inductor (or both).
- Impedance (Z), AC resistance, is reactance plus pure resistance. (See optional formulas for the math.)
- Capacitive reactance (Xc)is the opposition to AC current flow by a capacitor.
- It is inversely proportional to frequency.
- Inductive reactance ( $X_{L}$ ) is the opposition to AC current flow by an inductor.
- It is directly proportional to frequency.

Capacitive Reactance Inductive Reactance

$$
X_{C}=\frac{1}{2 \pi f C} \quad X_{L}=2 \pi f \mathrm{~L}
$$

## Decibels

| Power | Decibel |
| :---: | :---: |
| 2 | 3 |
| 4 | 6 |
| 6 | 8 |
| 8 | 9 |
| 10 | 10 |
| 100 | 20 |
| 1000 | 30 |

<- Remember this chart, and you know all the decibel conversions you need to know for the exam. Also read the article at http://www.ve3fyn.ca/nvis/Decibel.htm

* A change of 1 dB is generally the minimum a person can detect if it is expected. A change of 3 dB , (doubling or halving the power) is generally the minimum a person can detect if it is not expected.
$d B=10 \log \left(P_{2} / P_{1}\right)$ where ' $P$ ' is power $\quad d B=20 \log \left(E_{2} / E_{1}\right)$ where ' $E$ ' is voltage On your calculator: $\left(P_{2} \div P_{1}\right)\{\log \} * 10=$ or $\left(E_{2} \div E_{1}\right)\{\log \} * 20=$ dB to Power Ratio on your calculator: $(\mathrm{dB} \div 10)\{2 \mathrm{ndF}\}\left\{10^{\times}\right\}=$

To convert a two-digit decibel to its power ratio:
The first digit tells you the magnitude. The second digit tells you the value.
So, with 36 dB , the ' 3 ' tells you it's in the thousands.
The ' 6 ' is a power radio of 4 . So $36 \mathrm{~dB}=4000$ times the power.

## Good Stuff That's Not on the Basic Exam

Impedance turns ratio


Impedance

$$
Z=\sqrt{R^{2}+X^{2}} \quad \begin{aligned}
& Z=\text { Impedance (ohms) } \\
& R=\text { Resistance (ohms) } \\
& X=\text { Reactance (ohms) }
\end{aligned}
$$

## Resonant Frequency

- Current lags behind voltage in an inductor.
- Current leads voltage in a capacitor.
- At the resonant frequency in an RLC circuit, the inductor and capacitor are in-phase.
- In an RLC series circuit, at resonance, current is maximum.
- In a parallel LC circuit, at resonance current is minimum.

$$
\text { Resonance } \mathrm{fr}=\frac{1}{2 \pi \sqrt{(\mathrm{LC})}}
$$

## More Good Stuff That's Not on the Basic Exam

## Q of Tuned Circuits

- "Q" refers to the sharpness of the response curve of a tuned circuit.
- It is the ratio between $X_{L}$ and $R$.
- Note that $Q$ is frequency sensitive, as $X_{L}$ varies with frequency.

$$
Q=\frac{X_{L}}{R}
$$

- A high Q (50-250) indicates a coil with little resistance at RF, and a sharp response curve.
- Capacitors have a very high $Q$, which is effectively irrelevant.
- In a parallel tuned circuit, $Q$ is impedance over reactance ( $Z$ / $X$ )
$Q=\frac{Z}{X}$


## Cut-off Frequencies (also not on exam)

## High-Pass Filters



## Low-Pass Filters



- High-pass filters pass high frequencies and reject signals at frequencies below the cut-off point.
- At the cut-off point, output power is $1 / 2$ input power.
- $R$ represents the impedance of the circuit in question.
- Higher value capacitors lower the cut-off frequency (frequencies below the cut-off are attenuated).
- Low-pass filters pass low frequencies and shunt higher frequencies to ground.
- At the cut-off point, output power is $1 / 2$ input power.
- R represents the impedance of the circuit in question.
- Lower value capacitors lower the cut-off frequency (frequencies above the cut-off are attenuated).


## In Case you Forgot...



$$
\begin{aligned}
& \mathrm{E}=\text { voltage (energy) } \\
& \text { measured in volts } \\
& \text { I = current } \\
& \text { measured in amperes } \\
& R=\text { resistance } \\
& \text { measured in ohms } \\
& P=\text { power } \\
& \text { measured in watts } \\
& E=I \text { * } R \quad P=E * I \\
& I=E / R \quad E=P / I \\
& R=E / I \quad I=P / E
\end{aligned}
$$

Other formulae may be derived from this. For example:

$$
\begin{aligned}
& P=E^{*} I \\
& E=R * I \text { Therefore, } P=R * I * I \text {, or } P=R * I^{2}
\end{aligned}
$$

